#### MCC/22/M.SC./SEM.-I/CEM/1

Time: 2 Hours

Total pages: 02

### PG CBCS M.SC. SEMESTER-I EXAMINATION, 2022 CHEMISTRY PAPER: CEM 101 (PHYSICAL CHEMISTRY - I)

Full Marks: 40

## <u>GROUP – A</u>

 $4 \times 2 = 8$ 

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PALLIBR

a) What is the orthonormal function? Write down the criteria.

b) Determine the eigen value of  $Ae^{mx}$  with respect to  $\frac{d^2}{dx^2}$ .

1. Answer any FOUR questions from the following questions:

- c) What do you mean by accessible microstates of a system?
- d) What are the conditions for a system of particles to obey Maxwell-Boltzmann statistics?
- e) What is a fermion? Give an example.

f) Define morse potential.

g) State the consequence of anharmonicity to a diatomic oscillator.

h) Write applications of rotational spectroscopy.

#### **GROUP - B**

# 2. Answer any <u>FOUR</u> questions from the following questions: $4 \times 4 = 16$

- a) Write down the forms of Lx, Ly, and Lz operators starting from  $\mathbf{r}\times\mathbf{p}$  vectors.
- b) What are the properties of a well-behaved wave function? Check that, the wave function  $\psi(x) = A \sin \left(\frac{m\pi x}{L}\right)$ , integration range  $0 \le x \le L$  is a well-behaved one or it is not. (2+2)
- c) What is a stationary state in quantum mechanics? Write the importance of the stationary state of a system. (2+2)
- d) Write the Nernst heat theorem. Write the limitations of this theorem. (3+1)
- e) Establish the relation between entropy and thermodynamic probability.
- f) Define the terms macrostate and microstate.
- g) Classify the following molecules with an explanation based on the moment of inertia of the molecule. The following molecules are benzene, water, cyclobutadiene, and methane. (1×4)
- h) Obtain the expression for internal energy in terms of the molecular partition function.

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 $2 \times 8 = 16^{RAL LIBR}$ 

# **GROUP - C**

(2)

### 3. Answer any <u>TWO</u> questions from the following questions:

- a) What is the linear operator? What is a Hermitian operator? Write down two important properties of Hermitian operators that have significant roles in quantum mechanics. Prove that the linear momentum operator is a Hermitian operator. (Consider the wave function  $\psi(x) = A \sin \left(\frac{m\pi x}{L}\right)$ , integration range  $0 \le x \le L$ ). (2+2+2+2)
- b) Starting from the appropriate expression for the thermodynamic probability of distribution, obtain the Bose-Einstein distribution law. What are bosons? Give one example.
  (6+2)
- c) Using Maxwell relations derive thermodynamic equations of State. Why is it called 'thermodynamic equations of state'? (6+2)
- d) (i) Give the expression for the vibrational energy of a diatomic molecule taking it as a simple harmonic oscillator. Sketch the vibrational energy levels of such a molecule. Define zero-point energy.

(ii) The vibrational frequency and anharmonicity constant of a diatomic molecule are 350 cm<sup>-1</sup> and 0.0035 respectively. Find out the positions of the fundamental and first overtone band. (1+2+2)+3